

Plug-and-play attribute grammars

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Beyond the UUAG

The UUAG works nicely, but is far from perfect.

- ▶ Typing deferred to Haskell compiler
- ▶ Occasional tweaking of generated code
- ▶ Fixed functionality
- ▶ Limited abstractions



Fantasy syntax - I

```
data Tree = Leaf Int | Node Tree Tree
```

```
data Root = Root Tree
```

```
valSyn f = aspect
```

```
  | (Leaf i)   lhs.val = i
```

```
  | (Node l r) lhs.val = f @l.val @r.val
```

```
compMaxAG = valSyn max
```

```
compMax   = knit compMaxAG
```



Fantasy syntax - II

minInh = **aspect**

| (*Node l r*) *l.min* = @*lhs.min*

r.min = @*lhs.min*

| (*Root t*) *t.min* = @*t.val*

resSyn = **aspect**

| (*Leaf i*) *lhs.res* = *Leaf* @*lhs.min*

| (*Node l r*) *lhs.res* = *Node* @*l.res* @*r.res*

repMinAG = *valSyn min 'plug' minInh 'plug' resSyn*

repMin = *knit repMinAG*



Goals

We want to:

- ▶ define a semantic rule - that refers to other attributes.
- ▶ plug aspects together.
- ▶ generate semantic functions.

Taking into account that:

- ▶ all attribute definition are well-typed
- ▶ no missing attribute definitions
- ▶ no undefined attributes
- ▶ no multiple attribute definitions



The theory of qualified types

- ▶ A general framework for type systems
- ▶ Generalization of Haskell's type classes
- ▶ Qualified types have the form $\pi \Rightarrow \tau$
- ▶ You get to introduce predicates $\pi \dots$
- ▶ \dots and show how to solve them
- ▶ \dots and get soundness and completeness for free.



Extendible records

- ▶ Extendible records (Gaster and Jones)
- ▶ Rows are a special kind:
 - $\{ \} :: row$
 - $\{ l :: _ \mid _ \} :: * \rightarrow row \rightarrow row$
 - $Rec :: row \rightarrow *$
- ▶ Rows have their own unification rules:
 - $\{ l_1 :: \tau_1, l_2 :: \tau_2 \} = \{ l_2 :: \tau_2, l_1 :: \tau_1 \}$
- ▶ A special predicate to describe when a label is not present: $r \setminus a$
- ▶ Functions for extending records and selecting fields:
 - $(l = _ \mid _) :: r \setminus l \Rightarrow a \rightarrow Rec\ r \rightarrow Rec\ \{ l :: a \mid r \}$
 - $(_.l) :: r \setminus l \Rightarrow Rec\ \{ l :: a \mid r \} \rightarrow a$



Attribute grammars

- ▶ Rows represent attribute grammar definitions.

| $Prod\ t.attr = e$

- ▶ Labels contain information about:
 - production
 - attribute name
 - synthesized vs. inherited
- ▶ Functions similar to record extension define a single semantic rule.
- ▶ Separate wrapper around rows:
 - $Aspect ::= row \rightarrow *$



Built-in predicates

$$\pi_G ::= \begin{array}{l} r \text{ def syn attr} :: \tau \text{ on } nt \\ | \\ r \text{ def inh attr} :: \tau \text{ on } nt \end{array}$$

Note that:

- ▶ r is a row defining an attribute
- ▶ τ is the type of the attribute
- ▶ nt is the non-terminal that is attributed



Predicates

π	$::=$	$r \setminus attr$	r lacks the field $attr$
		$r_1 r_2$ partition r	r can be partitioned in r_1 and r_2
		knit r to nt i s	r defines a semantic function from i to s on the non-terminal nt

- ▶ Now we have to define predicate entailment. . .



Predicate entailment - lacks

$$\overline{P, \pi \Vdash \pi}$$

$$\overline{P \Vdash \{\} \setminus attr}$$

$$\frac{P \Vdash attr' \neq attr \quad P \Vdash r \setminus attr}{P \Vdash \{ attr' :: \tau \mid r \} \setminus attr}$$



Predicate entailment - partition

$$\overline{P \Vdash \{ \} r \text{ partition } r}$$

$$\frac{P \Vdash r_1 \setminus attr \quad P \Vdash r_2 \setminus attr \quad P \Vdash r_3 \setminus attr \quad P \Vdash r_1 \ r_2 \text{ partition } r_3}{P \Vdash \{ attr :: \tau \mid r_1 \} \ r_2 \text{ partition } \{ attr :: \tau \mid r_3 \}}$$



Predicate entailment - knitting - I

$$\overline{\text{knit } \{ \} \text{ to } nt \{ \} \{ \}}$$
$$\frac{d \text{ def syn } a :: \tau \text{ on } nt \quad d \ r \text{ partition } ag \quad \text{knit } r \text{ to } nt \ i \ s}{\text{knit } ag \text{ to } nt \ i \{ a :: \tau \mid s \}}$$
$$\frac{d \text{ def inh } a :: \tau \text{ on } nt \quad d \ r \text{ partition } ag \quad \text{knit } r \text{ to } nt \ i \ s}{\text{knit } ag \text{ to } nt \{ a :: \tau \mid i \} s}$$


Predicate entailment - knitting - II

$$\frac{d \text{ def syn } a :: \tau \text{ on } nt' \quad d r \text{ partition } ag \quad \text{knit } r \text{ to } nt \text{ i } s}{\text{knit } ag \text{ to } nt \text{ i } s}$$

$$\frac{d \text{ def inh } a :: \tau \text{ on } nt' \quad d r \text{ partition } ag \quad \text{knit } r \text{ to } nt \text{ i } s}{\text{knit } ag \text{ to } nt \text{ i } s}$$



Predicate entailment - knitting - II

$$\frac{d \text{ def syn } a :: \tau \text{ on } nt' \quad d r \text{ partition } ag \quad \text{knit } r \text{ to } nt \text{ i } s}{\text{knit } ag \text{ to } nt \text{ i } s}$$

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Eat the elephant a bite at a time!



