## Group theory - Hand in sheet 1

Let $G$ be group. An element $g \in G$ satisfies $g^{2}=e$ precisely when $g=g^{-1}$. Show that if $G$ is finite and contains an even number of elements, then the number of nonidentity elements which satisfy $g^{2}=e$ is odd.

