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Coronal loops

Coronal active region loops, on the other hand, are low beta structures in which the magnetic pressure dominates.

Each narrow strand can be considered as a miniatmosphere (though probably not in hydrostatic equilibrium).

Q. Why do these loops look so narrow?



MHD version of Ampère's Law

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 $j = \nabla \times B/\mu$

Twisting the field produces 'free energy' in the form of current.

MHD Force balance equation

$$-\nabla p + \vec{j} \times \vec{B} + \rho \vec{g} = \rho \frac{Dx}{Dt}$$

Assume ~ steady state, with negligible gravitational forces and pressure gradients (low beta corona). Then

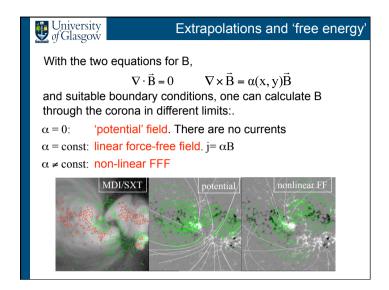
 $\vec{j} \times \vec{B} = 0$

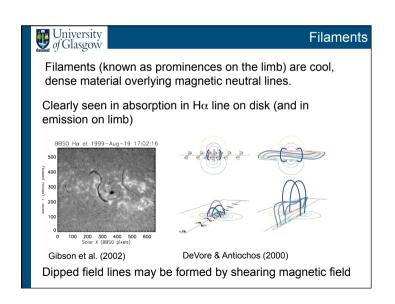
Force-free condition, i. e. field and current are aligned

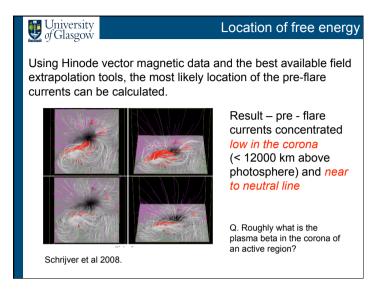
So $(\nabla \times \vec{B}) \times \vec{B} = 0$, meaning $\nabla \times \vec{B} = \alpha \vec{B}$

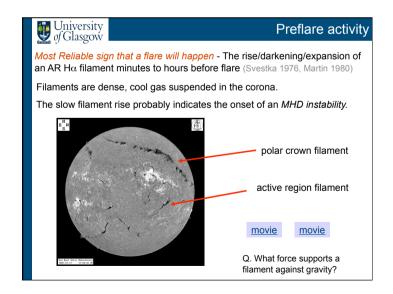
 α constant along field lines

The source of current Does the magnetic field emerge already bearing free energy? From vector B measurements, Leka et al. (1996) determined the curl of the magnetic field in an emerging active region They also measured the photospheric flows during and after emergence. AR twists too large to be generated by the photospheric flows. Q. Where So the field emerges from do the the convection zone currents already carrying current. close?









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Can flares be forecast?

A complex, rapidly-evolving, large active region has highest probability of producing a flare, within a few days of its emergence.

More accurate forecast?

Prediction based on past X-ray activity (Bayesian statistics)

Moderately successful (Wheatland 2004)

Statistics of magnetic field parameters and their variations

Rather unsuccessful (Leka and Barnes 2006)

Neural Net 'learning' of appearance of ARs about to flare Underway

Recently:

If total flux within 15 Mm of neutral line exceeds 2 ×10²¹ Mx, a major flare will occur within a day (Schrijver 2007)

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Flare precursors?

Are there any other signs that a flare is going to happen?

Other pre-flare phenomena include:

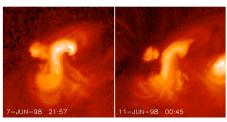
- Small UV/EUV 'twinkles' (Moore & Sterling, Warren & Warshall)
- Small GOES events and preheating
- "Sigmoid" magnetic configuration (Hudson & Sterling)
- Early hard X-ray coronal sources (Lin et al.)
- Moving blueshifted Hα events (Des Jardins & Canfield 2003)

But none of these is unique to flares



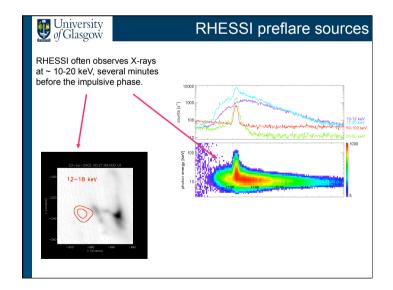
Coronal sigmoids

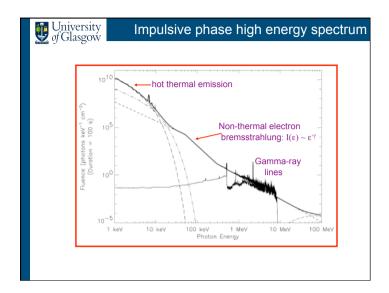
So-called for their 'S' shape (in the Northern Hemisphere) Visible in soft X-rays (e.g. by Yohkoh/SXT and now GOES SXI)

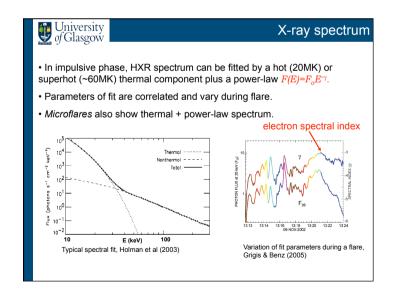


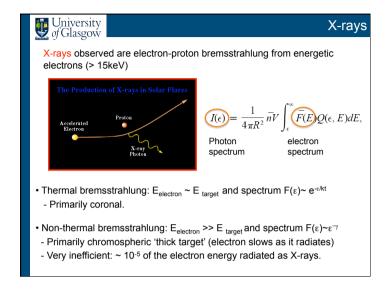
pre-flare sigmoid observed by Yohkoh Soft X-ray Telescope

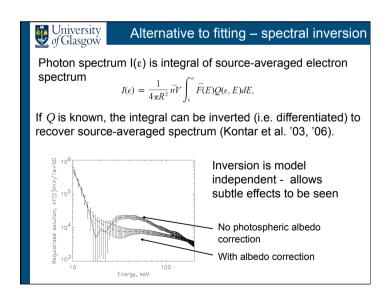
post-flare configuration - cusp shows that an eruption has happened.

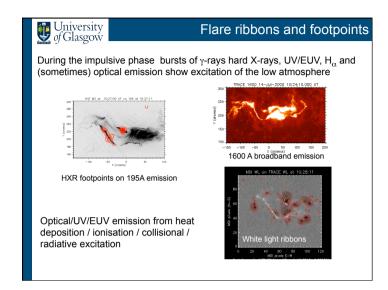


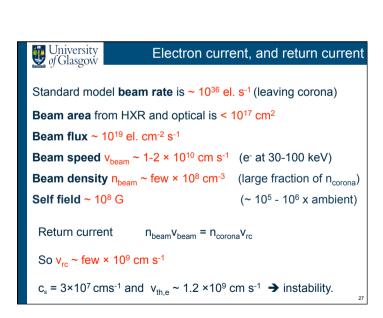


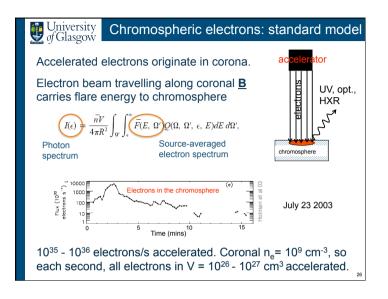


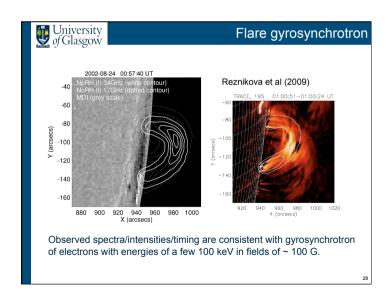














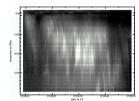
Coronal Radio Emission

Metric and decimetric Type III bursts are plasma radiation produced by electron beams (mode-conversion of Langmuir waves). Emission at plasma frequency:

$$\omega_p \; = \; \sqrt{\frac{4\pi e^2 n_e}{m_e}} \; = \; 2\pi \; 90 \sqrt{\frac{n_e}{10^8 {\rm cm}^{-3}}} \quad [MHz]$$

Upward and downward-going beams observed

Occur at peak time of HXR emission. Detailed radio/HXR burst-to-burst time-correlations improve at higher starting frequency (Benz et al '05)

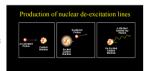


Non-linear coherent emission ⇒ electron number estimates difficult.

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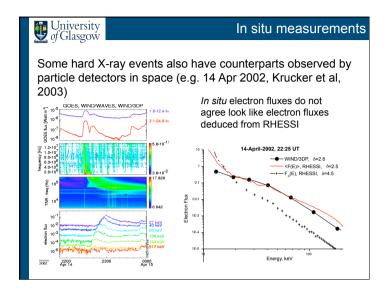
Gamma-rays

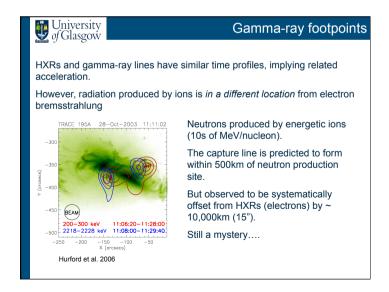
- Continuum γ-rays by bremsstrahlung (~ 10MeV)
- Nuclear de-excitation lines caused by proton bombardment;
- 'prompt' radiation provides a diagnostic of protons above 30MeV

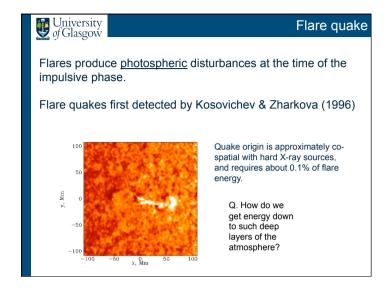


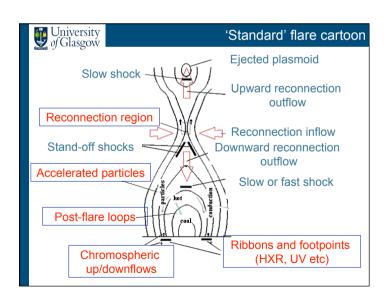
- The positron annihilation line at 511keV
- The neutron capture line at 2.23 MeV n(p,γ)D
- this is a delayed line, as neutrons must slow down before reacting.

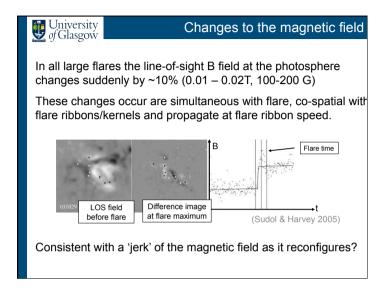
 ⇒ formed low in the atmosphere, and after other emissions.

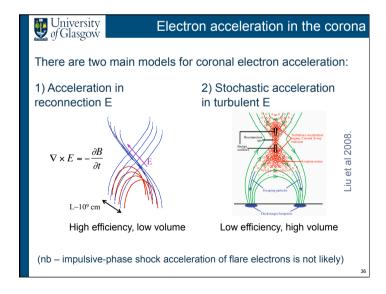


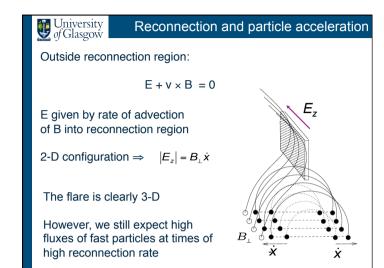


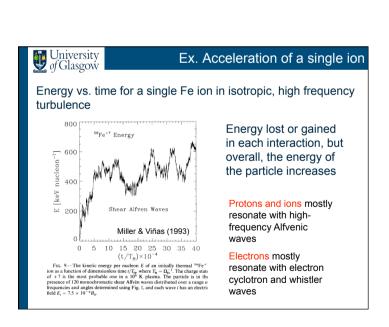


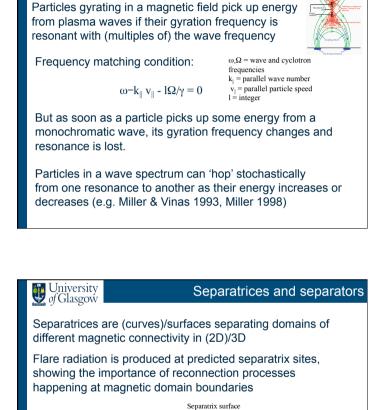










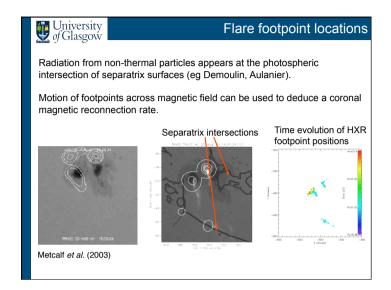


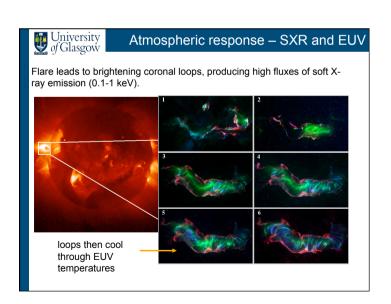
Stochastic acceleration

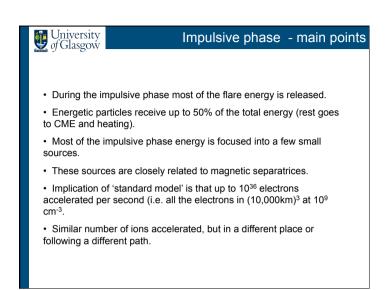
Null point (Priest and Schrijver 1999)

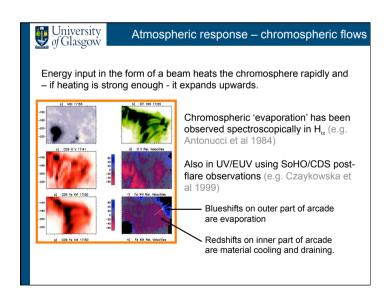
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Separatrix curve









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Flare energy deposition

Assume energy input by beam with spectrum F(E,z) as a function of depth z in the atmosphere

 $\dot{E}(z) = -\int_{0}^{\infty} F(E, z) \frac{dE}{dz} dE$

where dE/dz is the loss-rate of a single electron by Coulomb collisions.

What about energy loss?

By radiation:

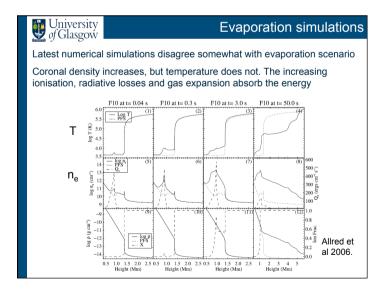
$$\dot{E}_{rad}(z) = n_e^2 P(T_e)$$

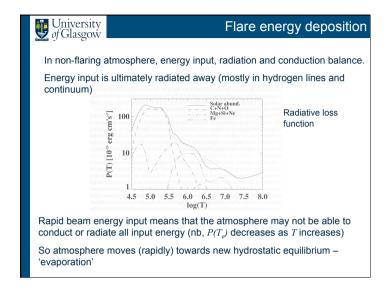
 $P(T_e)$ is the radiative loss function

By conduction:

$$\dot{E}_c = -\nabla \cdot (F_c) = -\nabla \cdot \left(\kappa \frac{dT_e}{dz}\right) = -\nabla \cdot \left(\kappa_o T_e^{5/2} \frac{dT_e}{dz}\right)$$

 F_{e} = conductive flux, z = direction along magnetic field



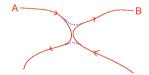




Reconnection - liberation of stored energy

Magnetic reconnection allows the coronal field to reconfigure, liberating magnetic energy

Reconnection is the process whereby two field lines, being frozen in and carried along by the fluid, break and rejoin in a different way.



So a particle that was on fieldline A can end up on fieldline B

Reconnection results from the local breakdown of flux conservation.



Breakdown of flux conservation

The induction equation – describes advection and dissipation of field

$$\frac{\partial \vec{B}}{\partial t} = \nabla \times (\vec{v} \times \vec{B}) + \eta \nabla^2 \vec{B}$$

Define associated timescales:

$$\tau_a = L/v$$
 and $\tau_d = L^2/\eta$

where L is the typical length scale for variation in the magnetic field. The ratio of $\tau_{\rm s}$ to $\tau_{\rm s}$ is called the Magnetic Reynolds number, $R_{\rm M}$

$$R_{\rm M} = \frac{\tau_{\rm D}}{\tau_{\rm A}} = \frac{vL}{\eta}$$

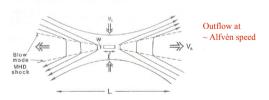
Normally in the corona, dissipation is much slower than advection (low collisional resistivity η , large v and L); so the field is frozen.



Petschek reconnection

The Petschek model reduces the size of the diffusion region.

Reconnection rate increases as plasma is 'slingshotted' out



Vin/VA ($\sim \pi/8 \ln Rm$) = 0.01 \sim 0.1

- The reconnection rate is determined by the external conditions
- At slow shocks, energy conversion can occur
- May be fast enough to explain flare release if a high 'anomalous resistivity' is invoked.

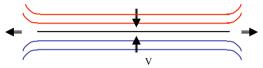


Magnetic field dissipation

 τ_d in the corona is about 10⁶ years. How do we speed up dissipation?

 $\tau_d = L^2/\eta$ so must decrease the length scale L, or increase resistivity.

As field is advected by flow, it generates steep gradients - current sheets



Field lines are advected in to the current sheet, reconnect, and plasma is advected out at the upstream Alfvén speed - Sweet-Parker reconnection.

Sweet-Parker reconnection is rather inefficient: the rate scales as $R_m^{-1/2}$ It is too slow (by \sim 5 orders of mag) to explain flare energy release.



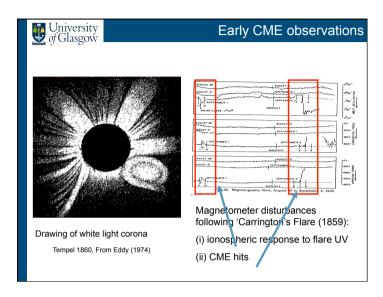
Important points about reconnection

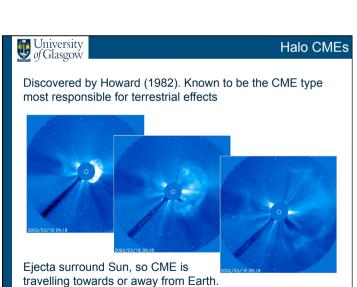
•Reconnection allows an energy-loaded magnetic field to *relax* to a lower energy state during a flare.

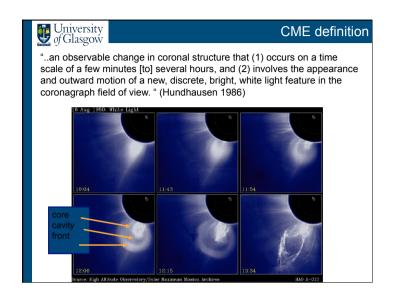
•Reconnection is a local process. *The local dissipation of flux does not lead to much energy release*. Energy is released by the field reconfiguration in the rest of the corona (and in shocks in Petschek-type geometries)

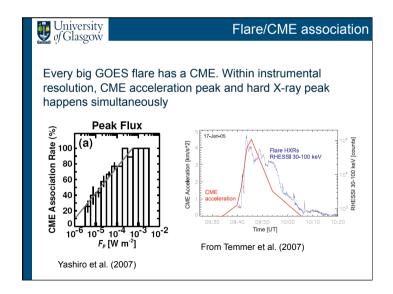
•Direct observational evidence for reconnection in the flaring corona is limited - however lab and magnetospheric/ionospheric experiments suggest that it happens all the time.

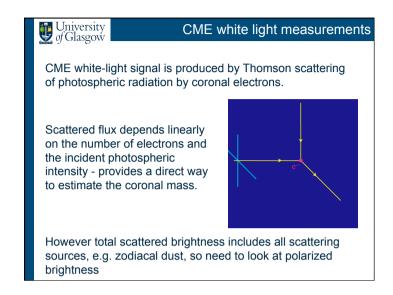
•Lab and space plasma experiments show evidence of collisionless reconnection. *Solar plasmas are probably also in the collisionless* - i.e. non-MHD – regime.

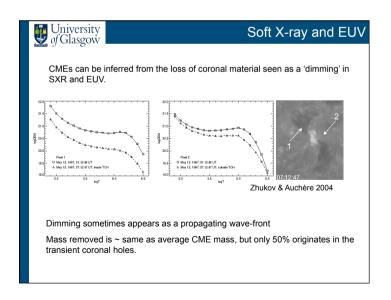


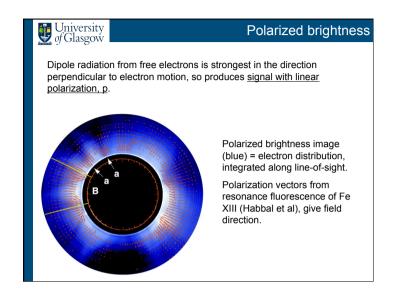


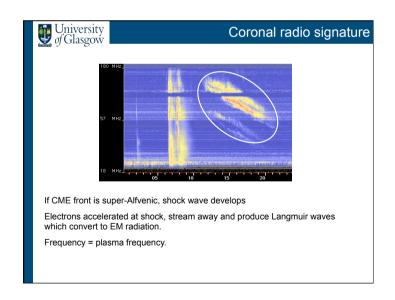


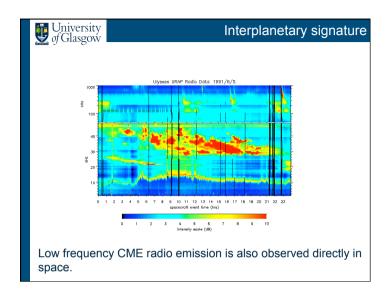


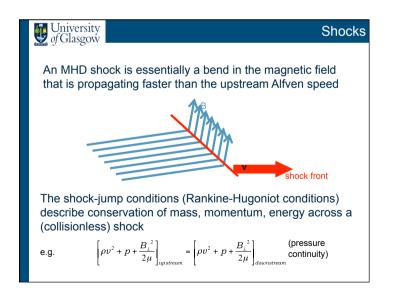


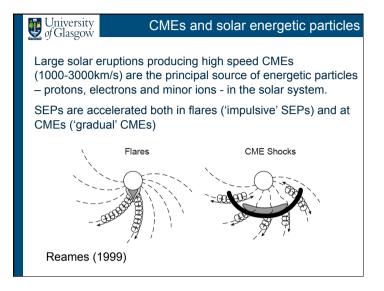














Particle acceleration at shocks

$$\left[\rho v^2 + p + \frac{B_{\perp}^2}{2\mu}\right]_{upstream} = \left[\rho v^2 + p + \frac{B_{\perp}^2}{2\mu}\right]_{downstream}$$

If fluid speed v is lower downstream, and gas pressure also lower (eg decreasing density medium) then B_{\perp} is higher.

Also, B_{II} constant across shock.

Conservation of first adiabatic invariant for particles crossing shock:

$$\frac{mv_{\perp}^{2}}{B} = const$$

So particles crossing shock pick up perpendicular momentum. But not very much.

